

## LOCKHEED AIRCRAFT CORP.

## SUMMARY AND RECOMMENDATIONS.

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The important results from the report may be summarized as follows:

- (1). Best take-off distance is obtained using a 30° wing flap setting. The tail of the airplane should be lifted off the ground as soon as possible and held up through the take-off run.
- (2). On a hard run-way, using 600 BHP per engine, the take-off distance is 2100 feet at sea level.
- (3). Climb after take-off with a gross weight of 16,500# is 500 feet per minute with wing flaps at 30° (using take-off power).
- (4). After obtaining a safe altitude (50 to 100 feet), the flaps should be retracted and the engine power reduced to 550 BHP per engine at 2200 rpm.
- (5). The climb should be continued at this power to an altitude of 2000'.
- (6). At 2000', the power should be reduced to 380 BHP/engine and the flight continued at the values of altitude, power, rpm and speed shown on the inclosed curve.
- (7). During the maximum range flight, the following considerations apply:
  - a. Variation of altitude from that specified by amounts as much as 2000' (except in the heavy load condition) has very little effect on the range.
  - b. With headwinds or tails winds up to 20 mph, the best airspeed is within 5 mph of that shown on the flight procedure curve.
  - c. When the wind increases with altitude, the load condition, and power conditions should be carefully considered when choosing an altitude different than that shown on the curves. No strict rules can be given covering the optimum flight procedure with varying wind gradients with altitude.
  - d. Increase the power output when climbing from one altitude to another. Climb at an indicated speed of 120 to 130 mph.

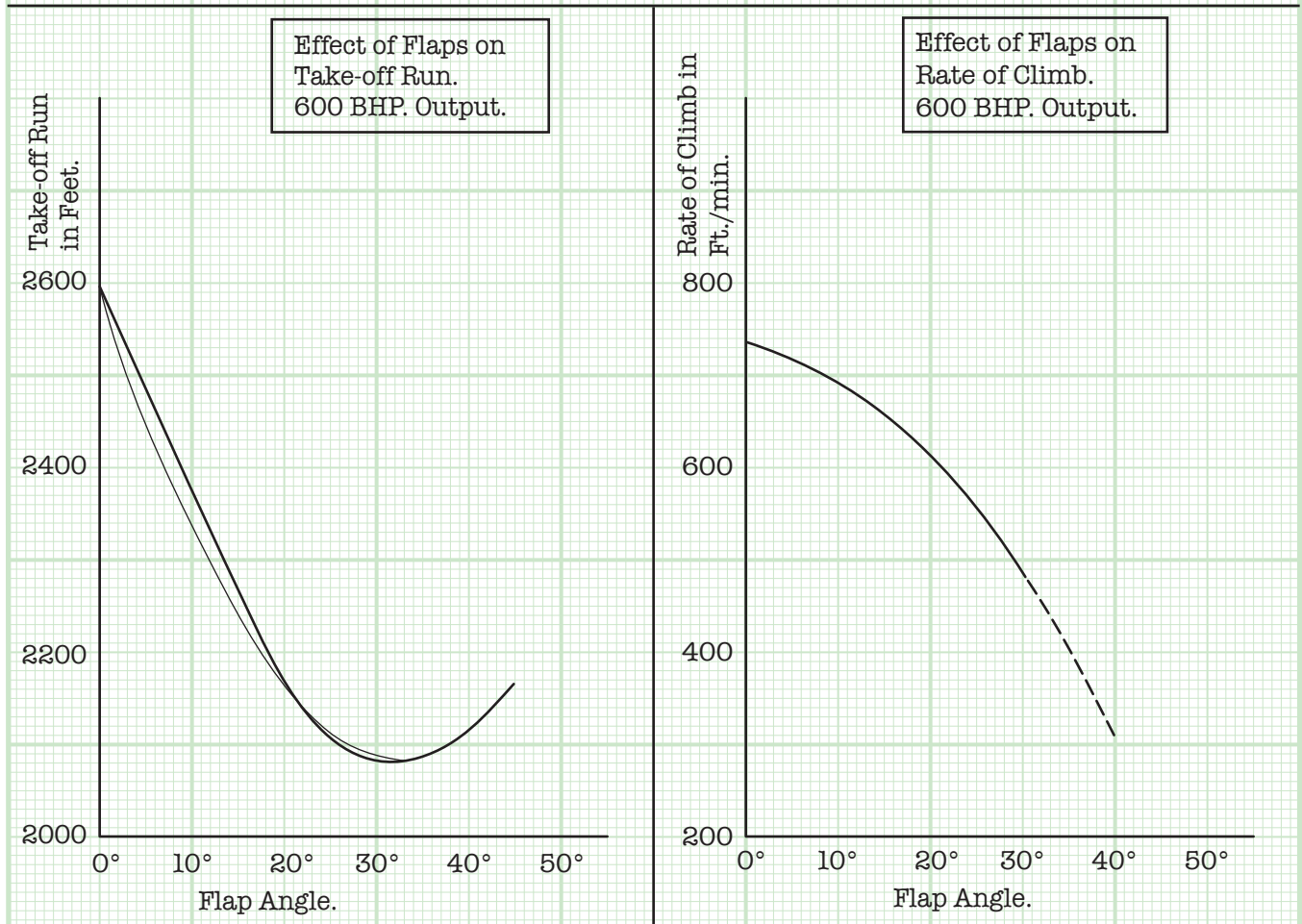
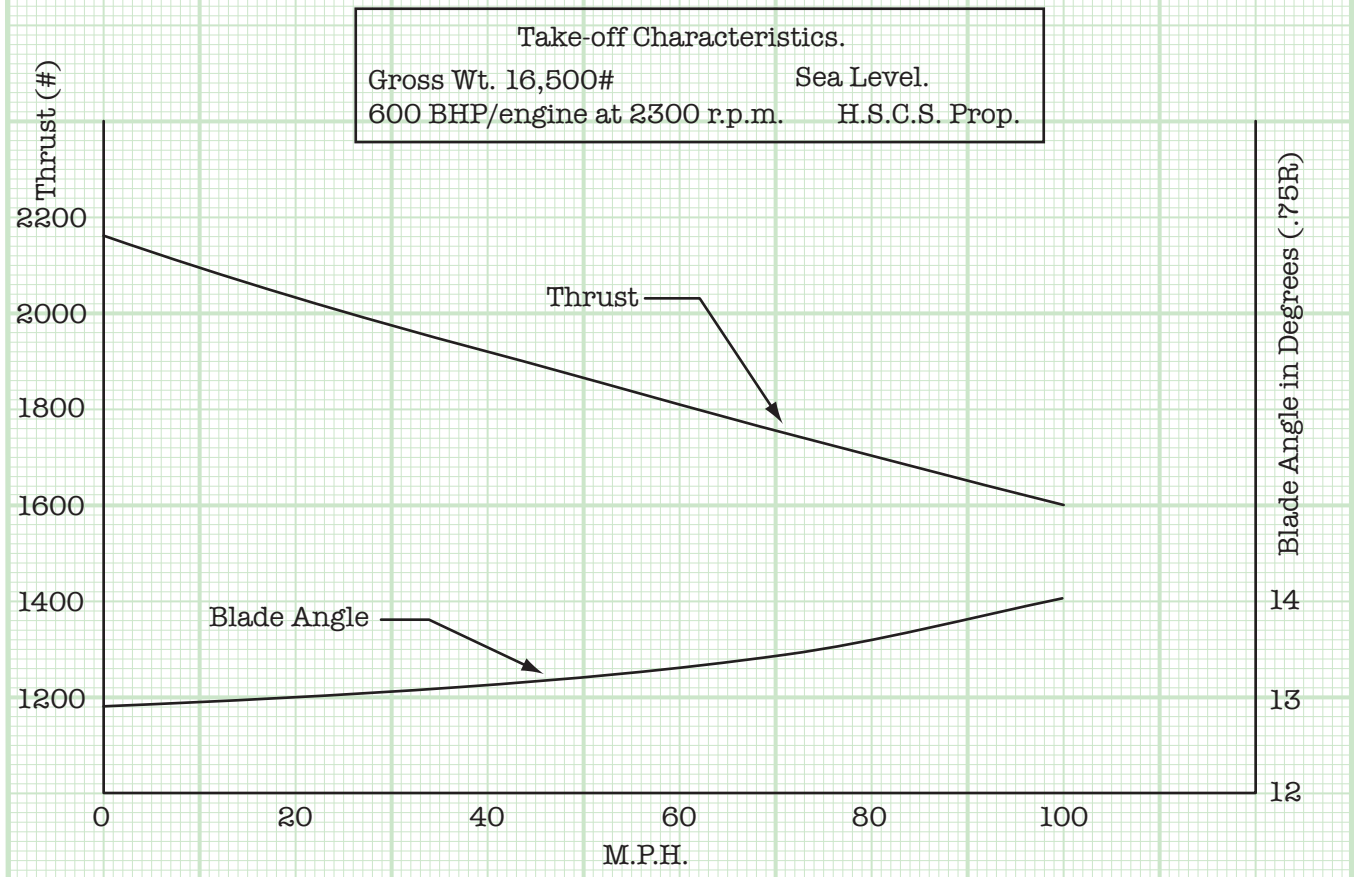


FIGURE IX.

COMPUTATIONS (continued)

Take-off will be considered with a gross weight of 16,500# and a power output of 600 BHP. per engine at 2300 r.p.m. at sea level. Schrenk's Method of analysis will be used. The following table of take-off relationships is then derived.

| V        | V/ND | C <sub>p</sub> | β     | C <sub>T</sub> | Thrust        | Thrust(Effective) |
|----------|------|----------------|-------|----------------|---------------|-------------------|
| 0 m.p.h. | 0    | .0418          | 12.9° | .102           | 2,320 #/prop. | 2,160 #/prop.*    |
| 10       | .030 | .0418          | 12.9° | .100           | 2,270         | 2,110             |
| 20       | .061 | .0418          | 13.0° | .097           | 2,200         | 2,050             |
| 30       | .091 | .0418          | 13.1° | .093           | 2,120         | 1,970             |
| 40       | .121 | .0418          | 13.1  | .090           | 2,090         | 1,950             |
| 50       | .152 | .0418          | 13.2  | .090           | 2,050         | 1,910             |
| 60       | .182 | .0418          | 13.3  | .086           | 1,960         | 1,820             |
| 70       | .312 | .0418          | 13.4  | .082           | 1,860         | 1,730             |
| 80       | .242 | .0418          | 13.7  | .080           | 1,820         | 1,690             |
| 90       | .273 | .0418          | 13.8  | .078           | 1,770         | 1,650             |
| 100      | .303 | .0418          | 14.0  | .075           | 1,710         | 1,590             |

\* Effective thrust includes a 7% reduction factor due to tip losses.

Then:

$$S_1 = \frac{W}{g} \frac{q_1}{(P_o - P_1)} \log_e \frac{P_o}{P_1}$$

$S_1$  is the take-off run in ft.

$W$  is the gross weight = 16,500#

$g$  = std. air density = .0765 #/cu.ft.

$q_1$  = take-off impact pressure.

$P_o$  is the initial accelerating force.  $P_1$  the final.

$$.9 C_{L_{max.}} = 1.31 \quad q_1 = 27.5 \text{ #/sq.ft. (104 m.p.h.)}$$

$$C_D = 0.148$$

$$P_o = T_o - \mu W = 4320 - .04 \times 16,500 = 3650\#$$

The coefficient of friction of .04 corresponds to a good field with hard turf.

$$P_1 = T_1 - D_1 = 3180 - .148 \times 458 \times 27.5 = 1317\#$$

$$S_1 = \frac{16,500}{.0765} \frac{27.5}{(3660 - 1317)} \log_e \frac{3660}{1317} = \underline{2590 \text{ ft.}}$$

COMPUTATIONS (continued)Investigating the effect of flaps down 20°:

$$0.9 C_{L_{max.}} = 1.57 \quad q_1 = 23 \text{ \#/sq.ft. (95 m.p.h.)}$$

$$C_D = 0.183$$

$$P_O = 3660 \text{ \#}$$

$$P_1 = 1620 \times 2 - 0.183 \times 458 \times 23 = 1310 \text{ \#}$$

$$S_1 = \frac{16,500}{.0765} \frac{23}{2350} \log_e \frac{3660}{1310} = \underline{2180 \text{ ft.}}$$

Flaps down 30°:

$$0.9 C_{L_{max.}} = 0.9 \times 1.35 = 1.67 \quad q_1 = 21.6 \text{ \#/sq.ft. (92 m.p.h.)}$$

$$C_D = 0.21$$

$$P_O = 3660 \text{ \#}$$

$$P_1 = 2 \times 1660 - 0.21 \times 458 \times 21.6 = 1240 \text{ \#}$$

$$S_1 = \frac{16,500}{.0765} \frac{21.6}{2420} \log_e \frac{3660}{1240} = \underline{2080 \text{ ft.}}$$

Flaps down 45°:

$$0.9 C_{L_{max.}} = 1.75 \quad q_1 = 20.6 \text{ \#/sq.ft. (89.5 m.p.h.)}$$

$$C_D = 0.243$$

$$P_O = 3660 \text{ \#}$$

$$P_1 = 2 \times 1660 - 0.243 \times 458 \times 20.6 = 1000 \text{ \#}$$

$$S_1 = \frac{16,500}{.0765} \frac{20.6}{2660} \log_e \frac{3660}{1040} = \underline{2165 \text{ ft.}}$$

COMPUTATIONS (continued)

From the preceding calculations and graphs it is evident that the minimum take-off run occurs with the flaps set at approximately  $30^{\circ}$ , when it is reduced some 20% from the unflapped run.

Computations for the rate of climb curves are included in the appendix, pg. .